Prof. Dr. Alfred Toth

Ontische und semiotische qualitative Funktionen

1. In meinem neuen Buch (Toth 2016a) wurden im Anschluß an Toth (2016b) die isomorphen ontischen und semiotischen qualitativen Funktionen dadurch objektsemantisch relevant gemacht, indem sie in die dreifach mögliche Funktion von der Objektinvariante der Objektabhängigkeit (vgl. Toth 2013) gesetzt wurden. Im folgenden wird das Toth (2016a) zugrunde liegende vollständige System der ontischen und semiotischen qualitativen Funktionen präsentiert.

2.1. Ontische qualitative Funktionen

$S^* = [S, U, E]$

2.1.1. $C = [X_\lambda, Y_Z, Z_\rho]$

$f_1: S \to X_\lambda = f(O^0)$ $f_1: S \to Y_Z = f(O^0)$ $f_1: S \to Z_\rho = f(O^0)$

$f_2: S \to X_\lambda = f(O^1)$ $f_2: S \to Y_Z = f(O^1)$ $f_2: S \to Z_\rho = f(O^1)$

$f_3: S \to X_\lambda = f(O^2)$ $f_3: S \to Y_Z = f(O^2)$ $f_3: S \to Z_\rho = f(O^2)$

$f_1: U \to X_\lambda = f(O^0)$ $f_1: U \to Y_Z = f(O^0)$ $f_1: U \to Z_\rho = f(O^0)$

$f_2: U \to X_\lambda = f(O^1)$ $f_2: U \to Y_Z = f(O^1)$ $f_2: U \to Z_\rho = f(O^1)$

$f_3: U \to X_\lambda = f(O^2)$ $f_3: U \to Y_Z = f(O^2)$ $f_3: U \to Z_\rho = f(O^2)$

$f_1: E \to X_\lambda = f(O^0)$ $f_1: E \to Y_Z = f(O^0)$ $f_1: E \to Z_\rho = f(O^0)$

$f_2: E \to X_\lambda = f(O^1)$ $f_2: E \to Y_Z = f(O^1)$ $f_2: E \to Z_\rho = f(O^1)$

$f_3: E \to X_\lambda = f(O^2)$ $f_3: E \to Y_Z = f(O^2)$ $f_3: E \to Z_\rho = f(O^2)$

2.1.2. $L = [Ex, Ad, In]$

$f_1: S \rightarrow Ex = f(O^0)$	$f_1: S \rightarrow Ad = f(O^0)$	$f_1: S \rightarrow In = f(O^0)$
$f_2: S \rightarrow Ex = f(O^1)$	$f_2: S \rightarrow Ad = f(O^1)$	$f_2: S \rightarrow In = f(O^1)$
$f_3: S \rightarrow Ex = f(O^2)$	$f_3: S \rightarrow Ad = f(O^2)$	$f_3: S \rightarrow In = f(O^2)$

$f_1: U \rightarrow Ex = f(O^0)$	$f_1: U \rightarrow Ad = f(O^0)$	$f_1: U \rightarrow In = f(O^0)$
$f_2: U \rightarrow Ex = f(O^1)$	$f_2: U \rightarrow Ad = f(O^1)$	$f_2: U \rightarrow In = f(O^1)$
$f_3: U \rightarrow Ex = f(O^2)$	$f_3: U \rightarrow Ad = f(O^2)$	$f_3: U \rightarrow In = f(O^2)$

$f_1: E \rightarrow Ex = f(O^0)$	$f_1: E \rightarrow Ad = f(O^0)$	$f_1: E \rightarrow In = f(O^0)$
$f_2: E \rightarrow Ex = f(O^1)$	$f_2: E \rightarrow Ad = f(O^1)$	$f_2: E \rightarrow In = f(O^1)$
$f_3: E \rightarrow Ex = f(O^2)$	$f_3: E \rightarrow Ad = f(O^2)$	$f_3: E \rightarrow In = f(O^2)$

2.1.3. $O = (Koo, Sub, Sup)$

$f_1: S \rightarrow Koo = f(O^0)$	$f_1: S \rightarrow Sub = f(O^0)$	$f_1: S \rightarrow Sup = f(O^0)$
$f_2: S \rightarrow Koo = f(O^1)$	$f_2: S \rightarrow Sub = f(O^1)$	$f_2: S \rightarrow Sup = f(O^1)$
$f_3: S \rightarrow Koo = f(O^2)$	$f_3: S \rightarrow Sub = f(O^2)$	$f_3: S \rightarrow Sup = f(O^2)$

$f_1: U \rightarrow Koo = f(O^0)$	$f_1: U \rightarrow Sub = f(O^0)$	$f_1: U \rightarrow Sup = f(O^0)$
$f_2: U \rightarrow Koo = f(O^1)$	$f_2: U \rightarrow Sub = f(O^1)$	$f_2: U \rightarrow Sup = f(O^1)$
$f_3: U \rightarrow Koo = f(O^2)$	$f_3: U \rightarrow Sub = f(O^2)$	$f_3: U \rightarrow Sup = f(O^2)$

f_1: E → Koo = f(O^0) f_1: E → Sub = f(O^0) f_1: E → Sup = f(O^0)

f_2: E → Koo = f(O^1) f_2: E → Sub = f(O^1) f_2: E → Sup = f(O^1)

f_3: E → Koo = f(O^2) f_3: E → Sub = f(O^2) f_3: E → Sup = f(O^2)

2.1.4. Q = [Adj, Subj, Transj]

f_1: S → Adj = f(O^0) f_1: S → Subj = f(O^0) f_1: S → Transj = f(O^0)

f_2: S → Adj = f(O^1) f_2: S → Subj = f(O^1) f_2: S → Transj = f(O^1)

f_3: S → Adj = f(O^2) f_3: S → Subj = f(O^2) f_3: S → Transj = f(O^2)

f_1: U → Adj = f(O^0) f_1: U → Subj = f(O^0) f_1: U → Transj = f(O^0)

f_2: U → Adj = f(O^1) f_2: U → Subj = f(O^1) f_2: U → Transj = f(O^1)

f_3: U → Adj = f(O^2) f_3: U → Subj = f(O^2) f_3: U → Transj = f(O^2)

f_1: E → Adj = f(O^0) f_1: E → Subj = f(O^0) f_1: E → Transj = f(O^0)

f_2: E → Adj = f(O^1) f_2: E → Subj = f(O^1) f_2: E → Transj = f(O^1)

f_3: E → Adj = f(O^2) f_3: E → Subj = f(O^2) f_3: E → Transj = f(O^2)

2.1.5. R* = [Ad, Adj, Ex],

f_1: S → Ad = f(O^0) f_1: S → Adj = f(O^0) f_1: S → Ex = f(O^0)

f_2: S → Ad = f(O^1) f_2: S → Adj = f(O^1) f_2: S → Ex = f(O^1)

f_3: S → Ad = f(O^2) f_3: S → Adj = f(O^2) f_3: S → Ex = f(O^2)

$f_1: U \to Ad = f(O^0)$ $f_1: U \to Adj = f(O^0)$ $f_1: U \to Ex = f(O^0)$

$f_2: U \to Ad = f(O^1)$ $f_2: U \to Adj = f(O^1)$ $f_2: U \to Ex = f(O^1)$

$f_3: U \to Ad = f(O^2)$ $f_3: U \to Adj = f(O^2)$ $f_3: U \to Ex = f(O^2)$

$f_1: E \to Ad = f(O^0)$ $f_1: E \to Adj = f(O^0)$ $f_1: E \to Ex = f(O^0)$

$f_2: E \to Ad = f(O^1)$ $f_2: E \to Adj = f(O^1)$ $f_2: E \to Ex = f(O^1)$

$f_3: E \to Ad = f(O^2)$ $f_3: E \to Adj = f(O^2)$ $f_3: E \to Ex = f(O^2)$

2.1.6. $P = (PP, PC, CP, CC)$,

$f_1: S \to PP = f(O^0)$ $f_1: S \to PC = f(O^0)$ $f_1: S \to CP = f(O^0)$

$f_2: S \to PP = f(O^1)$ $f_2: S \to PC = f(O^1)$ $f_2: S \to CP = f(O^1)$

$f_3: S \to PP = f(O^2)$ $f_3: S \to PC = f(O^2)$ $f_3: S \to CP = f(O^2)$

$f_1: U \to PP = f(O^0)$ $f_1: U \to PC = f(O^0)$ $f_1: U \to CP = f(O^0)$

$f_2: U \to PP = f(O^1)$ $f_2: U \to PC = f(O^1)$ f $f_2: U \to CP = f(O^1)$

$f_3: U \to PP = f(O^2)$ $f_3: U \to PC = f(O^2)$ $f_3: U \to CP = f(O^2)$

$f_1: E \to PP = f(O^0)$ $f_1: E \to PC = f(O^0)$ $f_1: E \to CP = f(O^0)$

$f_2: E \to PP = f(O^1)$ $f_2: E \to PC = f(O^1)$ $f_2: E \to CP = f(O^1)$

$f_3: E \to PP = f(O^2)$ $f_3: E \to PC = f(O^2)$ $f_3: E \to CP = f(O^2)$

f_1: S → CC = f(O^0)

f_2: S → CC = f(O^1)

f_3: S → CC = f(O^2)

f_1: U → CC = f(O^0)

f_2: U → CC = f(O^1)

f_3: U → CC = f(O^2)

f_1: E → CC = f(O^0)

f_2: E → CC = f(O^1)

f_3: E → CC = f(O^2)

2.2. Ontische semiotische Funktionen

2.2.1. C = [X_λ, Y_Z, Z_ρ]

f_1: (2.1) → X_λ = f(O^0) f_1: (2.1) → Y_Z = f(O^0) f_1: (2.1) → Z_ρ = f(O^0)

f_2: (2.1) → X_λ = f(O^1) f_2: (2.1) → Y_Z = f(O^1) f_2: (2.1) → Z_ρ = f(O^1)

f_3: (2.1) → X_λ = f(O^2) f_3: (2.1) → Y_Z = f(O^2) f_3: (2.1) → Z_ρ = f(O^2)

f_1: (2.2) → X_λ = f(O^0) f_1: (2.2) → Y_Z = f(O^0) f_1: (2.2) → Z_ρ = f(O^0)

f_2: (2.2) → X_λ = f(O^1) f_2: (2.2) → Y_Z = f(O^1) f_2: (2.2) → Z_ρ = f(O^1)

f_3: (2.2) → X_λ = f(O^2) f_3: (2.2) → Y_Z = f(O^2) f_3: (2.2) → Z_ρ = f(O^2)

$f_1: (2.3) \rightarrow X_\lambda = f(O^0)$ $f_1: (2.3) \rightarrow Y_Z = f(O^0)$ $f_1: (2.3) \rightarrow Z_\rho = f(O^0)$

$f_2: (2.3) \rightarrow X_\lambda = f(O^1)$ $f_2: (2.3) \rightarrow Y_Z = f(O^1)$ $f_2: (2.3) \rightarrow Z_\rho = f(O^1)$

$f_3: (2.3) \rightarrow X_\lambda = f(O^2)$ $f_3: (2.3) \rightarrow Y_Z = f(O^2)$ $f_3: (2.3) \rightarrow Z_\rho = f(O^2)$

2.2.2. L = [Ex, Ad, In]

$f_1: (2.1) \rightarrow Ex = f(O^0)$ $f_1: (2.1) \rightarrow Ad = f(O^0)$ $f_1: (2.1) \rightarrow In = f(O^0)$

$f_2: (2.1) \rightarrow Ex = f(O^1)$ $f_2: (2.1) \rightarrow Ad = f(O^1)$ $f_2: (2.1) \rightarrow In = f(O^1)$

$f_3: (2.1) \rightarrow Ex = f(O^2)$ $f_3: (2.1) \rightarrow Ad = f(O^2)$ $f_3: (2.1) \rightarrow In = f(O^2)$

$f_1: (2.2) \rightarrow Ex = f(O^0)$ $f_1: (2.2) \rightarrow Ad = f(O^0)$ $f_1: (2.2) \rightarrow In = f(O^0)$

$f_2: (2.2) \rightarrow Ex = f(O^1)$ $f_2: (2.2) \rightarrow Ad = f(O^1)$ $f_2: (2.2) \rightarrow In = f(O^1)$

$f_3: (2.2) \rightarrow Ex = f(O^2)$ $f_3: (2.2) \rightarrow Ad = f(O^2)$ $f_3: (2.2) \rightarrow In = f(O^2)$

$f_1: (2.3) \rightarrow Ex = f(O^0)$ $f_1: (2.3) \rightarrow Ad = f(O^0)$ $f_1: (2.3) \rightarrow In = f(O^0)$

$f_2: (2.3) \rightarrow Ex = f(O^1)$ $f_2: (2.3) \rightarrow Ad = f(O^1)$ $f_2: (2.3) \rightarrow In = f(O^1)$

$f_3: (2.3) \rightarrow Ex = f(O^2)$ $f_3: (2.3) \rightarrow Ad = f(O^2)$ $f_3: (2.3) \rightarrow In = f(O^2)$

2.2.3. O = (Koo, Sub, Sup)

$f_1: (2.1) \rightarrow Koo = f(O^0)$ $f_1: (2.1) \rightarrow Sub = f(O^0)$ $f_1: (2.1) \rightarrow Sup = f(O^0)$

$f_2: (2.1) \rightarrow Koo = f(O^1)$ $f_2: (2.1) \rightarrow Sub = f(O^1)$ $f_2: (2.1) \rightarrow Sup = f(O^1)$

$f_3: (2.1) \rightarrow Koo = f(O^2)$ $f_3: (2.1) \rightarrow Sub = f(O^2)$ $f_3: (2.1) \rightarrow Sup = f(O^2)$

f_1: (2.2) → Koo = f(O^0) f_1: (2.2) → Sub = f(O^0) f_1: (2.2) → Sup = f(O^0)

f_2: (2.2) → Koo = f(O^1) f_2: (2.2) → Sub = f(O^1) f_2: (2.2) → Sup = f(O^1)

f_3: (2.2) → Koo = f(O^2) f_3: (2.2) → Sub = f(O^2) f_3: (2.2) → Sup = f(O^2)

f_1: (2.3) → Koo = f(O^0) f_1: (2.3) → Sub = f(O^0) f_1: (2.3) → Sup = f(O^0)

f_2: (2.3) → Koo = f(O^1) f_2: (2.3) → Sub = f(O^1) f_2: (2.3) → Sup = f(O^1)

f_3: (2.3) → Koo = f(O^2) f_3: (2.3) → Sub = f(O^2) f_3: (2.3) → Sup = f(O^2)

2.2.4. Q = [Adj, Subj, Transj]

f_1: (2.1) → Adj = f(O^0) f_1: (2.1) → Subj = f(O^0) f_1: (2.1) → Transj = f(O^0)

f_2: (2.1) → Adj = f(O^1) f_2: (2.1) → Subj = f(O^1) f_2: (2.1) → Transj = f(O^1)

f_3: (2.1) → Adj = f(O^2) f_3: (2.1) → Subj = f(O^2) f_3: (2.1) → Transj = f(O^2)

f_1: (2.2) → Adj = f(O^0) f_1: (2.2) → Subj = f(O^0) f_1: (2.2) → Transj = f(O^0)

f_2: (2.2) → Adj = f(O^1) f_2: (2.2) → Subj = f(O^1) f_2: (2.2) → Transj = f(O^1)

f_3: (2.2) → Adj = f(O^2) f_3: (2.2) → Subj = f(O^2) f_3: (2.2) → Transj = f(O^2)

f_1: (2.3) → Adj = f(O^0) f_1: (2.3) → Subj = f(O^0) f_1: (2.3) → Transj = f(O^0)

f_2: (2.3) → Adj = f(O^1) f_2: (2.3) → Subj = f(O^1) f_2: (2.3) → Transj = f(O^1)

f_3: (2.3) → Adj = f(O^2) f_3: (2.3) → Subj = f(O^2) f_3: (2.3) → Transj = f(O^2)

2.2.5. R* = [Ad, Adj, Ex],

f_1: (2.1) → Ad = f(O^0) f_1: (2.1) → Adj = f(O^0) f_1: (2.1) → Ex = f(O^0)

f_2: (2.1) → Ad = f(O^1) f_2: (2.1) → Adj = f(O^1) f_2: (2.1) → Ex = f(O^1)

f_3: (2.1) → Ad = f(O^2) f_3: (2.1) → Adj = f(O^2) f_3: (2.1) → Ex = f(O^2)

f_1: (2.2) → Ad = f(O^0) f_1: (2.2) → Adj = f(O^0) f_1: (2.2) → Ex = f(O^0)

f_2: (2.2) → Ad = f(O^1) f_2: (2.2) → Adj = f(O^1) f_2: (2.2) → Ex = f(O^1)

f_3: (2.2) → Ad = f(O^2) f_3: (2.2) → Adj = f(O^2) f_3: (2.2) → Ex = f(O^2)

f_1: (2.3) → Ad = f(O^0) f_1: (2.3) → Adj = f(O^0) f_1: (2.3) → Ex = f(O^0)

f_2: (2.3) → Ad = f(O^1) f_2: (2.3) → Adj = f(O^1) f_2: (2.3) → Ex = f(O^1)

f_3: (2.3) → Ad = f(O^2) f_3: (2.3) → Adj = f(O^2) f_3: (2.3) → Ex = f(O^2)

2.2.6. P = (PP, PC, CP, CC),

f_1: (2.1) → PP = f(O^0) f_1: (2.1) → PC = f(O^0) f_1: (2.1) → CP = f(O^0)

f_2: (2.1) → PP = f(O^1) f_2: (2.1) → PC = f(O^1) f_2: (2.1) → CP = f(O^1)

f_3: (2.1) → PP = f(O^2) f_3: (2.1) → PC = f(O^2) f_3: (2.1) → CP = f(O^2)

f_1: (2.2) → PP = f(O^0) f_1: (2.2) → PC = f(O^0) f_1: (2.2) → CP = f(O^0)

f_2: (2.2) → PP = f(O^1) f_2: (2.2) → PC = f(O^1) f_2: (2.2) → CP = f(O^1)

f_3: (2.2) → PP = f(O^2) f_3: (2.2) → PC = f(O^2) f_3: (2.2) → CP = f(O^2)

f_1: (2.3) → PP = f(O^0) f_1: (2.3) → PC = f(O^0) f_1: (2.3) → CP = f(O^0)

f_2: (2.3) → PP = f(O^1) f_2: (2.3) → PC = f(O^1) f_2: (2.3) → CP = f(O^1)

f_3: (2.3) → PP = f(O^2) f_3: (2.3) → PC = f(O^2) f_3: (2.3) → CP = f(O^2)

f_1: (2.1) → CC = f(O^0)

f_2: (2.1) → CC = f(O^1)

f_3: (2.1) → CC = f(O^2)

f_1: (2.2) → CC = f(O^0)

f_2: (2.2) → CC = f(O^1)

f_3: (2.2) → CC = f(O^2)

f_1: (2.3) → CC = f(O^0)

f_2: (2.3) → CC = f(O^1)

f_3: (2.3) → CC = f(O^2)

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